

Long Title

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Talk Series
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Outline

- 1 Section 1 Long Name
 - Subsection Long Name
 - Subsection 2 Long Name

- 2 Maxwell's Equations
 - Numerical Stability and Dispersion
 - Movie

Frame Title

- Example
- of a
- List

- 1 Example
- 2 of a
- 3 Numbered List
- 4 in a Box

Frame 2 Title

Definition

An **word** has a *meaning*.

$$\min_{d \in D} \|d^d\|.$$

Maxwell's Equations

$$\frac{\partial \mathbf{D}}{\partial t} + \mathbf{J} = \nabla \times \mathbf{H} \quad (\text{Ampere})$$

$$\frac{\partial \mathbf{B}}{\partial t} = -\nabla \times \mathbf{E} \quad (\text{Faraday})$$

$$\nabla \cdot \mathbf{D} = \rho \quad (\text{Poisson})$$

$$\nabla \cdot \mathbf{B} = 0 \quad (\text{Gauss})$$

\mathbf{E} = Electric field vector

\mathbf{D} = Electric displacement

\mathbf{H} = Magnetic field vector

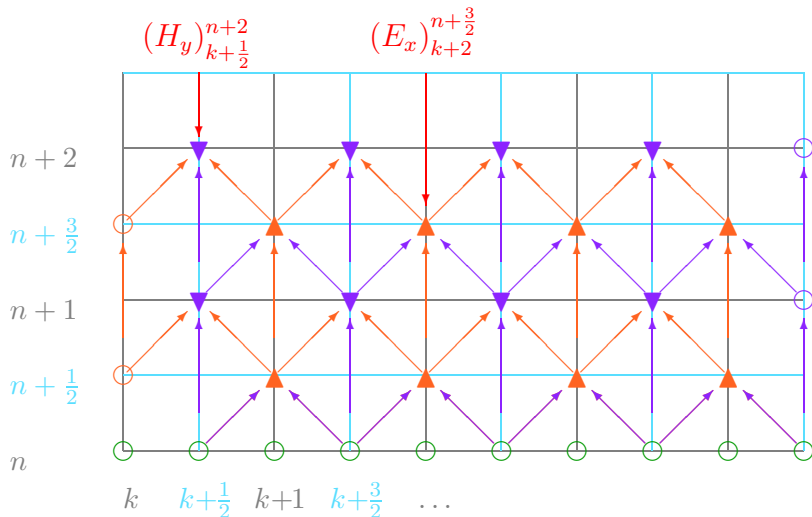
\mathbf{B} = Magnetic flux density

ρ = Electric charge density

\mathbf{J} = Current density

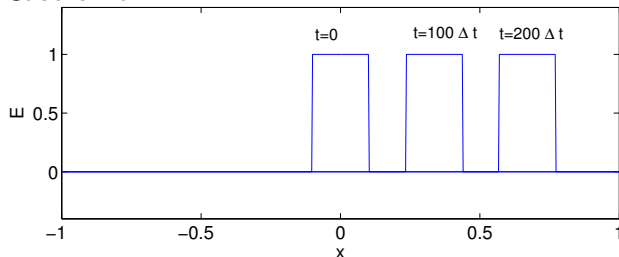
These are often referred to as the **curl equations**.

The FDTD or Yee grid in 1D

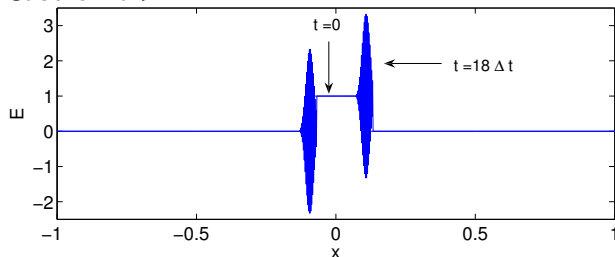


Numerical Stability: A Square Wave

- Case $c\Delta t = \Delta x$



- Case $c\Delta t > \Delta x$



Gap Detection

Dielectric slab with gap in front of metallic backing

Note the absorbing boundary conditions on the left.

Open Questions

- How to write a talk
 - How to write a good talk
 - How to write it fast

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- How to give a good talk



E Abenius and B Strand.

Solving inverse electromagnetic problems using FDTD and gradient-based minimization.

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